

```
y = 1 + x + Sum[a[i] x^i, {i, 2, 5}] + O[x]^6
```

```
1 + x + a[2] x^2 + a[3] x^3 + a[4] x^4 + a[5] x^5 + O[x]^6
```

```
D[y, x, x] + 3 x D[y, x] + 2 y == 0
```

```
(2 + 2 a[2]) + (5 + 6 a[3]) x + (8 a[2] + 12 a[4]) x^2 + (11 a[3] + 20 a[5]) x^3 + O[x]^4 == 0
```

```
LogicalExpand[%]
```

```
2 + 2 a[2] == 0 && 5 + 6 a[3] == 0 && 8 a[2] + 12 a[4] == 0 && 11 a[3] + 20 a[5] == 0
```

```
Solve[%]
```

```
{{a[2] -> -1, a[3] -> -5/6, a[4] -> 2/3, a[5] -> 11/24}}
```

```
// Then I clicked on "apply rules to expression"
```

```
// and put y = 1 + x + Sum[a[i] x^i, {i, 2, 5}] in the box.
```

```
// Also I added x -> 0.5 to make it also evaluate for x = 0.5.
```

```
1 + x + x^2 a[2] + x^3 a[3] + x^4 a[4] + x^5 a[5] /. 
```

```
{a[2] -> -1, a[3] -> -5/6, a[4] -> 2/3, a[5] -> 11/24, x -> 0.5}
```

```
{1.20182}
```

```
// Now to compare with the book ' s answer :
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```
In[84]:= N[923 / 768]
```

```
Out[84]= 1.20182
```

```
In[87]:= Plot[1 + x + x^2 a[2] + x^3 a[3] + x^4 a[4] + x^5 a[5] /. 
```

```
{a[2] -> -1, a[3] -> -5/6, a[4] -> 2/3, a[5] -> 11/24, x -> 0.5}], {x, 0, 1}]
```



