## Modern Algebra MATH 325W – Spring 2015

Monday:	Chapter 10: Algebraic Elements	
Wednesday:	Chapter 10: Algebraic Elements	Week 8
Friday:	Chapter 11: Eisenstein	

### Homework

# Homework #13

Ch. 10: # 14, 20, 39, 42

Note: important information for #39 and #42 can be found right above #37. Extra #1: Let  $p(x) = x^3 - x + 1 \in \mathbb{Z}_3[x]$ , and let r be a root of p(x).

- (1) Prove that p(x) is irreducible over  $\mathbb{Z}_3$ .
- (1) I fove that p(x) is inclueible over  $\mathbb{Z}_3$ (2) Use Theorem 10.8 to describe  $\mathbb{Z}_3(r)$ .
- (2) How many elements are in the field  $\mathbb{Z}_3(r)$ ?

#### Homework #14

Ch. 11: #5-10, 14

#### WRITING ASSIGNMENTS

On writing assignments, part of your grade will reflect the quality of your *style*. Style includes everything from the basic mechanics of writing (complete, grammatically correct sentences with capitalization and proper punctuation) to the conventions of writing mathematics developed in Linear Algebra.

#### Writing Assignment #7

## due Wednesday, March 11

due Tuesday, March 10

due Friday, March 13

Ch. 9: #25

Hint: modify the proof of 9.10. Let  $I \subseteq \mathbb{Z}$  be an ideal. If  $I = \{0\}$ , then I is principal since in this case I = (0). Now assume  $I \neq \{0\}$ . Let  $S = \{a | a \in I \text{ and } a > 0\}$ . Then the WOP applies to S (you explain why!), so S has a minimal element d. Then...

Also: Turn in a rewrite for one previous Writing Assignment (if you want). Make it beautiful!